Astro 426/526

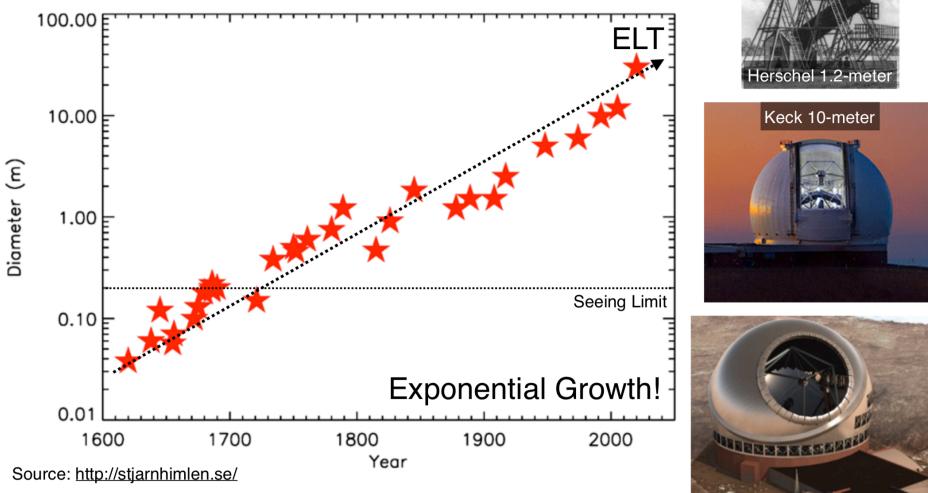
Fall 2019 Prof. Darcy Barron

Lecture 8: Detection principles across wavelengths

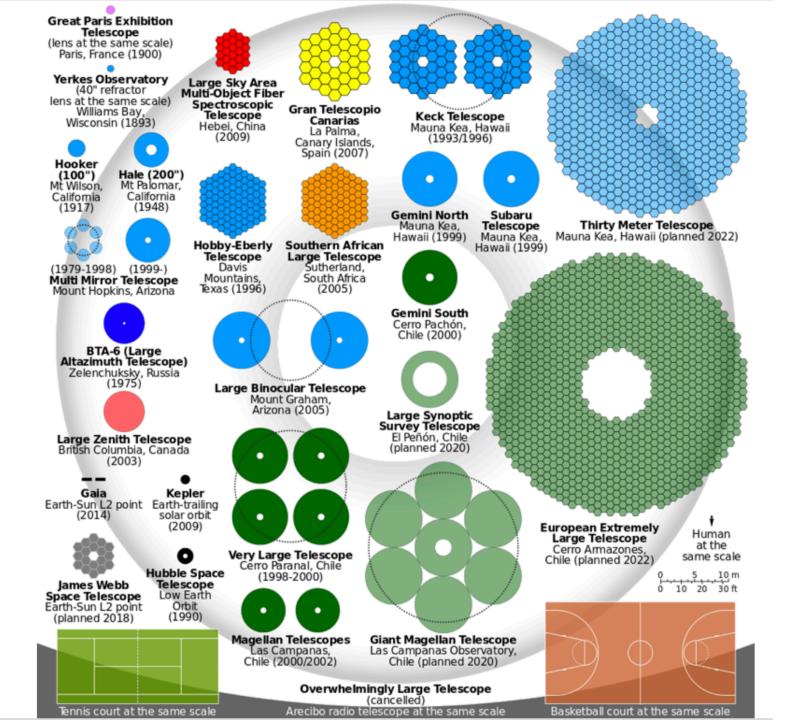
Reminders

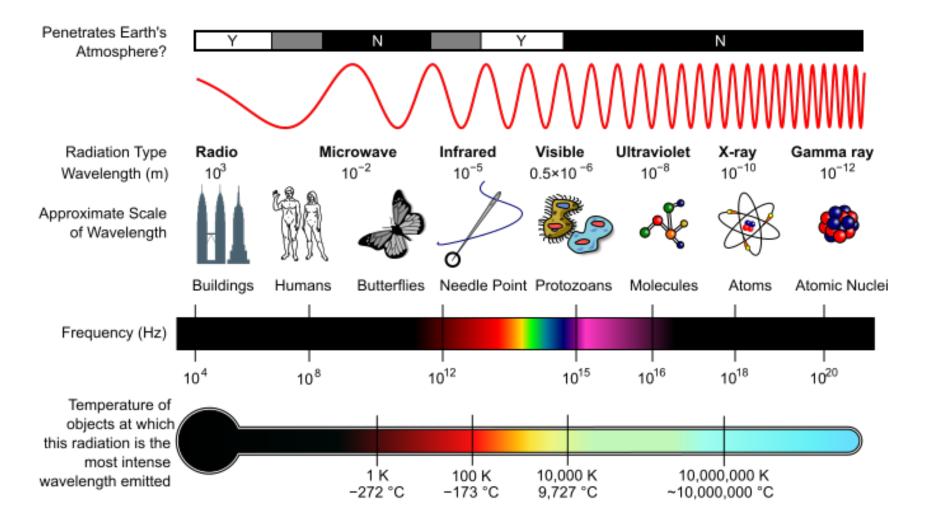
- HW 2 due Friday Sept 25 at 5pm
- Mid-term exam Wed Oct 2
- For next two weeks: detectors, statistics, and noise
 - Summarized in Section 1.4.2 (Detectors: Basic Principles) and Section 1.5 (Statistics and noise) of *Measuring the Universe*
 - For this week: read chapter 3 of Measuring the Universe (Detectors for the ultraviolet through infrared)
 - For the week after (Sept 23): read chapter 3 of *Practical Statistics for Astronomers*
 - If you have a limited background in statistics, may also need to reference or skim Chapter 2 of *Practical Statistics for Astronomers*

Explosive Growth in Ground-Based Optical/Infrared Telescopes

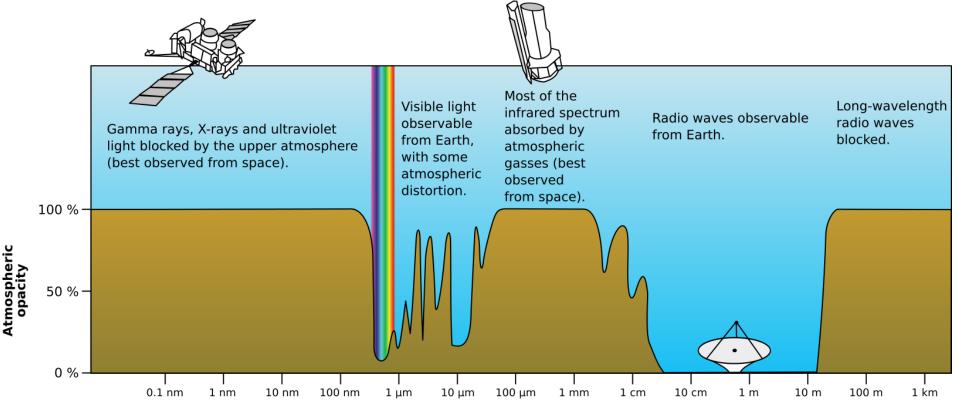


TMT 30-meter





Electromagnetic spectrum and our atmosphere



Wavelength

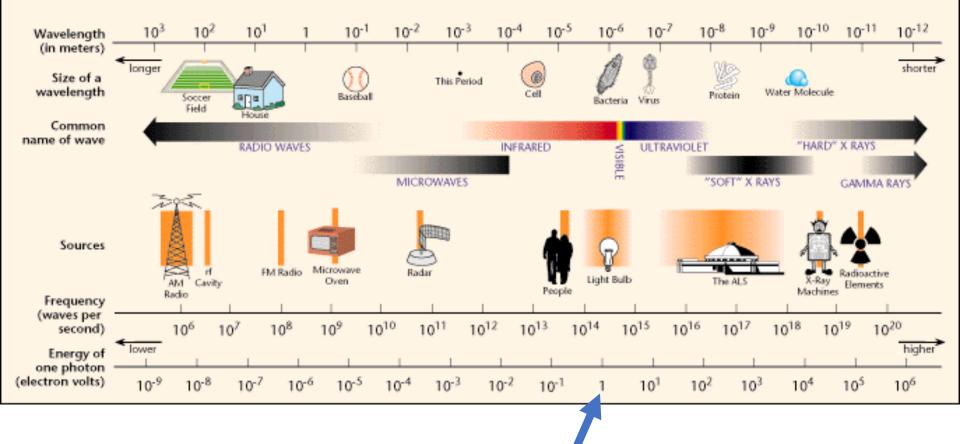
Telescope location vs wavelength

- Must be in space (totally blocked by atmosphere)
 - Wavelengths shorter than 0.3 microns
 - Ultraviolet, x-ray, gamma ray
 - Wavelengths between 40 to 300 microns
- Must be at a special site to reduce atmospheric absorption
 - 40 microns to ~ 1 cm
 - Submillimeter and millimeter/microwave
- Can be anywhere (but interference from man-made sources or local weather will help determine site)
 - Wavelengths longer than 1 cm but less than 100 m
 - Radio
 - Wavelengths ~ 0.3 microns to 40 microns
 - Optical and some infrared

Choosing telescope sites

- Some sites are chosen just to avoid interference (communication, street lights, clouds, etc)
 - VLA, Kitt Peak, Karoo desert, western Australia
- Some sites are chosen for atmospheric stability
 - Want laminar (not turbulent) airflow over your site
 - Mountaintops facing into prevailing winds coming from ocean
- Some sites are chosen for amount of atmosphere
 - Scale height of atmosphere is 8km
 - Scale height of water is 2km
- The best are good at all 3, and still relatively easy to access
 - Mauna Kea, South Pole, Chajnantor Plateau

THE ELECTROMAGNETIC SPECTRUM



Three methods of detection

- Coherent detectors
 - Interact local electric field with electrical field of incoming photons and measure interference
- Thermal detectors
 - Absorb energy of incoming photons and measure change in temperature
- Photon detectors
 - Absorb energy of incoming photons and release free charge carriers

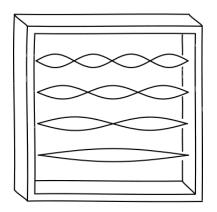
Attributes of Detector System

- Responsivity
- Spectral Response
- Frequency Response (or Bandwidth)
- Efficiency
- Electrical bandwidth
- Read noise (or readout noise)
- Photon noise

Photon statistics

- Photons are bosons, and they follow Bose-Einstein statistics
 - Arrivals are not independent
 - Noise is not just proportional to number of photons received
 - Two noise terms: shot noise and photon bunching/wave noise
- Boltzmann occupation number n_s
 - number of photons in standing-wave mode in box at temperature T
 - number of photons/s/Hz in (diffraction limited) beam in free space (Richards 1994, J.Appl.Phys)

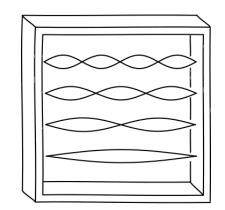
$$\langle n_{s} \rangle = \left(e^{h \nu_{s}/kT} - 1 \right)^{-1}$$



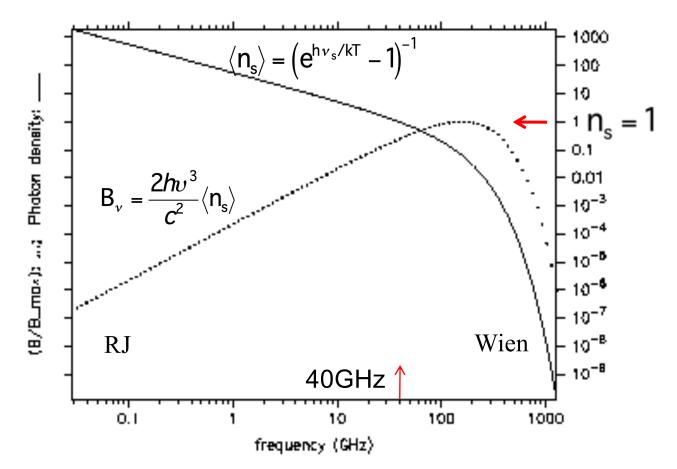
Photon statistics

- Three regimes
 - n_s >> 1
 - hv << kT
 - Radio wavelengths
 - Photon "bunching" is significant
 - n_s~1
 - hv ~ kT
 - ~ Millimeter wavelengths
 - Both noise terms must be considered
 - n_s << 1
 - hv >> kT
 - Shot noise is significant
 - Noise follows Poisson statistics

$$\langle n_{s} \rangle = \left(e^{h \nu_{s}/kT} - 1 \right)^{-1}$$



T = 2.7 K



Wien: $n_s < 1 \Rightarrow noise \sqrt{n_s}$ (countingtats RJ: $n_s > 1 \Rightarrow noise \sqrt{n_s}$ (wavenoise)

Shot noise on an ideal detector

- Let P be the power falling onto the detector
 - With an efficiency η in a small bandwidth Δv
- Only considering shot noise as a noise source
- Average rate of photon emission events is given by r • $r = \frac{\eta P}{hv}$
- The average number of photon events occurring in a time T is given by $\overline{N} = rT$
 - (Actual number of events will fluctuate around N for any one particular interval of length T)
- Probability P(N) that in any one such interval, exactly N photoevents occur, is given by the Poisson probability distribution:

•
$$P(N) = \frac{\overline{N}^N}{N!} e^{-N}$$

Poisson distribution

- A specific kind of binomial distribution
- For very rare, independent events with a large number of trials
- "Poisson clumping"
- (pages 38-39 of Practical Statistics for Astronomers)