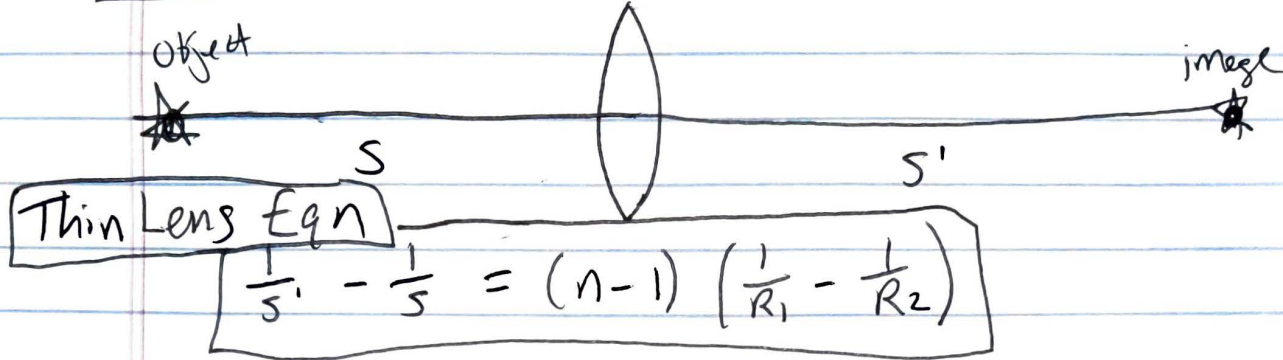
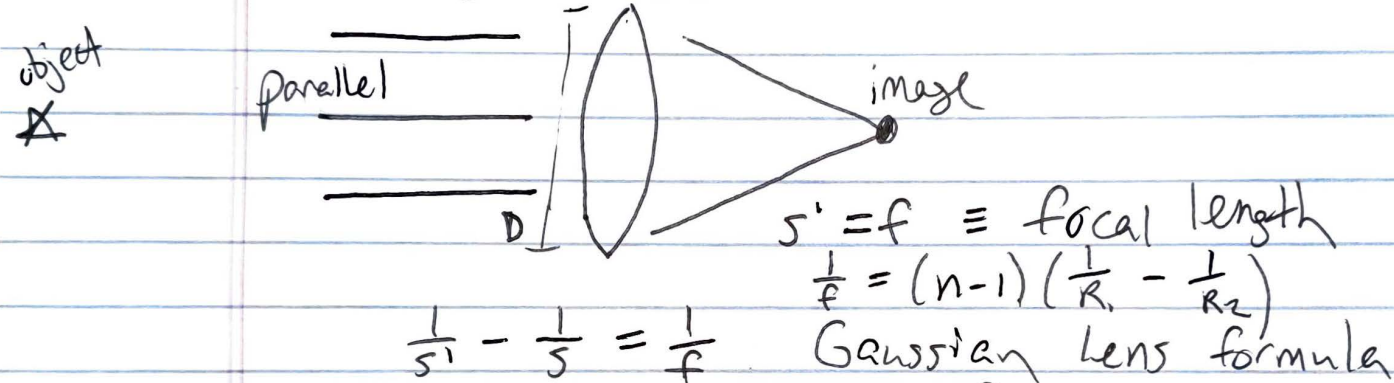


Astro 426 Lecture 5

Focal length



What if object is at $s^o = \infty$?



focal ratio $F = \frac{f}{D}$

Ray Tracing Rules

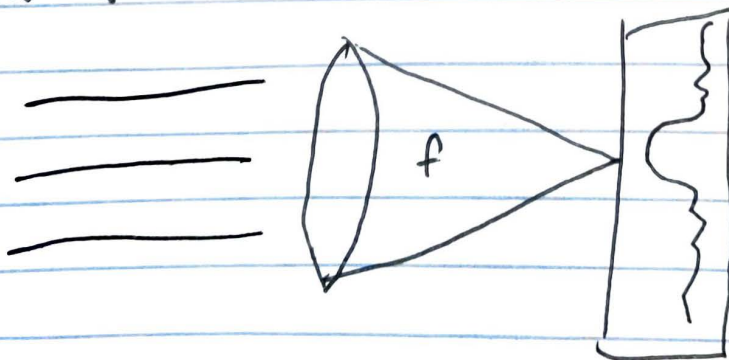
- 1) Ray through center is undeviated
- 2) Incoming parallel rays go through the focus (at distance f)

Magnification (lateral or transverse)

ratio of image height to object height

$$m = \frac{h'}{h} = \frac{s'}{s}$$

Basic Telescope



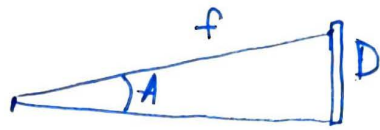
Airy Disk

$$\theta_{\text{null}} = 1.22 \frac{\lambda}{D}$$

$$r_{\text{null}} = f \theta_{\text{null}} = 1.22 \frac{f \lambda}{D}$$

$$r_{\text{null}} = 1.22 F \lambda$$

$$F = f/D \text{ focal ratio}$$



$$\tan A = \frac{D}{F}$$

$$\tan A \approx A$$

$$A = \frac{D}{F}$$

$$\text{Plate Scale} = \frac{A}{D}$$

$$= (D/F)/D$$

$$= 1/DF$$

Plate Scale angle on sky per unit physical distance on focal plane (e.g. arcsec/mm)

$$\text{Plate scale} = \frac{\theta}{r} = \frac{1}{f(\text{mm})} \text{ rad/mm} = \frac{1}{FD(\text{mm})} \text{ rad/mm}$$

$$= 206265 \cdot \left(\frac{1}{FD(\text{mm})} \right) \text{ arcsec/mm}$$

Multiple element systems have an "effective" focal length $f_{\text{eff}} = DF$

D = still diameter of aperture / primary
F = focal ratio at focal plane

Prime focus Telescope

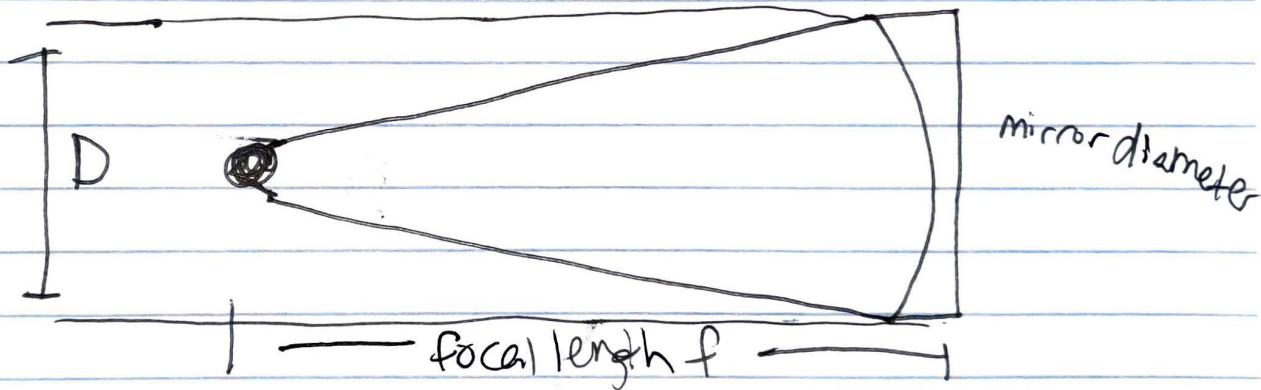
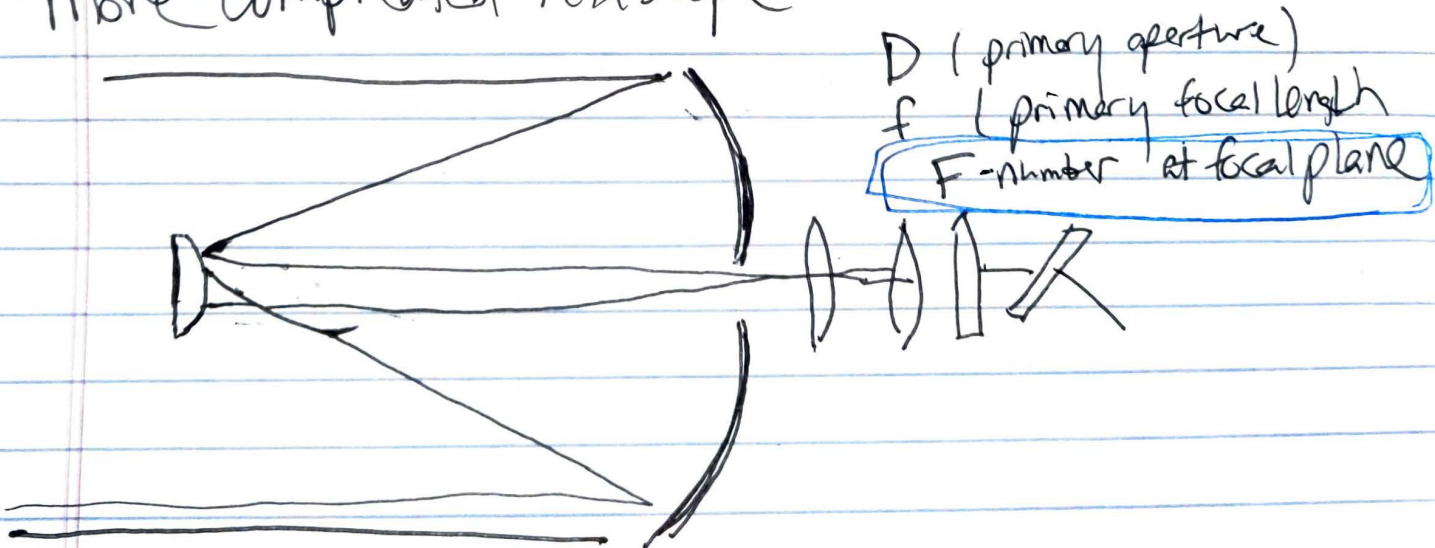


Fig 2.1

More Complicated Telescope



D (primary aperture)
f (primary focal length)
F-number at focal plane